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## article info

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#### **1. Introduction**

It is well known that the final properties of the oriented polymeric materials strongly depend on their super molecular structure. In the case of undrawn filaments, the final structure is mainly a result of the melt spinning conditions and of the subsequent thermomechanical treatments, too. As a result of the formation in the fibres arise entities with higher arrangement, which at suitable conditions should be a crystalline nucleus and they are the so-called quasi-crystalline nucleus. Other consequence of the filaments formation is the rise of areas with frozen stresses in the fibres.

The mechanical stress applied to polymers during the crystallization process significantly changes the crystallization kinetics. The influence of a mechanical stress on the crystallization of poly(ethylene terephthalate) (PET) filaments is discussed by a number of authors [1–8]. Some of the experimental research has been conducted at constant temperatures and stresses [1,3] and with constant samples length [1,4,8]. In other of them the structural development of PET fibres has been studied in non-isothermal conditions [6–8]. Nevertheless, the question pertaining to the com-

### **ABSTRACT**

The crystallization thermodynamics and kinetics of amorphous poly(ethylene te fibres subjected to simultaneously thermal and mechanical treatments has been studied. conductive calorimeter-dilatometer was constructed in the author's laboratories The obtained results interpretation was based on the Ozawa's equation. Relation applied to filaments mechanical stress and the running of their crystallization p lished.

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bined effect of stress and thermal treatments on t of PET yarns is not still clarified.

The paper presents results from calorimetric role of the simultaneous thermal and mechanical crystallization of as-spun PET filaments with save entation.

#### **2. Experimental details**

#### *2.1. Materials*

PET amorphous as-spun yarns were used as p The filaments were produced on the industrial s under technological conditions as follows:

- melting temperature of 568 K;
- melt output of 50 g/min;
- spinning speed 1100 m/min;
- yarn linear density of 600 dtex
- number of spinnerets in yarn 32;
- $\bullet\,$  single filament diameter 44  $\upmu$ m.

Initial basic characteristics of the studied fibre

- density  $\rho$  = 1338.0 kg/m<sup>3</sup>;
- degree of crystallinity  $\alpha$  = 1.7%;

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 $1.55$  er mass  $\mathbf{m}$  water;  $\rho$ <sup>0</sup> is the water density at the measurement temperature.

The degree of crystallinity was determined from the received density data, using the known equation:

$$
\alpha = \frac{\rho - \rho_a}{\rho_c - \rho_a} \tag{2}
$$

where  $\alpha$  is the mass fraction of crystallinity;  $\rho$  is the sample density;  $\rho_\mathtt{a}$  is the density of amorphous phase PET;  $\rho_\mathtt{c}$  is the density of crystalline phase PET. The values of  $\rho_\mathsf{c}$  = 1515 kg/m<sup>3</sup> and  $\rho_\mathsf{a}$  = 1335 kg/m<sup>3</sup> were taken from the literature [9].

Birefringence of the investigated fibres was measured by a polarizing microscope "Amplival–pol. D" equipped with Bereck compensators.

The coefficient of amorphous orientation was determinated in accordance with Stein's equation [10]. The thermodynamics and kinetics of the fibres crystallization and their deformation behaviour were studied by a thermo conductive calorimeter– dilatometer [11].

### **3. Thermoconductive calorimeter–dilatometer for thermal behaviour investigation**

The examination of the polymer filaments by the existing industrial DSC technique proposes samples preparation as a powder [12]. That is why it is not possible to investigate the effect of the preliminary fibres orientation on the structure development of the studied sample as well as to apply a mechanical stress on the specimen during the calorimetric experiment. At the same time, the existing different deformation calorimeters [13,14] measure only the heat generation as a consequence of samples mechanical treatment.

Because of the above mentioned reasons, in our laboratories was constructed and produced a calorimeter–dilatometer designed for investigation of the simultaneous thermal and mechanical effect on the phase transitions and deformation behaviour of oriented polymer materials [11]. The device represents a differential thermo cond[uctive](#page-3-0) calorimeter that consists of two identical cells with "diathermic shells" and thermo battery, located in a general thermal container and supplied with a stretcher. The calorimetric equipment has a temperature range of reliable work from 270 K to 440 K with heating rates from 0.3 K/min to [12 K/min.](#page-2-0) The necessary tensile force has been applied to the investigated fibres by the stretcher.

### **4. Results and discussion**

The influence of mechani[cal](#page-3-0) [str](#page-3-0)ess on the samples' crystallization from rubbery state and their deformation behaviour was investigated by the above described calorimeter–dilatometer. Number of simultaneously calorimetric and dilatometric researches was performed at dynamic conditions with applied to fibres tensile stress as [well](#page-3-0) [as](#page-3-0) [w](#page-3-0)ithout stress.

applied to samples strain stress;

• crystallization of PET filaments from rubber to samples strain stress of 1.2 MРa.

Thermograms obtained from the calorin without application to fibres strain stress (curv cation to PET bundle strain stress of 1.2 MPa ( in Fig. 1. It can be seen that the applied mecha affects the crystallization process from rubbery samples. With the purpose of more detailed strain stress effect on the thermodynamic para crystallization of the studied samples, a numb experiments were performed at the above-mer ditions. In each of them the bundle was subject strain stress with values from 0.025 MPa to 1 increased step of 0.1 MPa.

The change of the crystallization enthalpy fibres depending on the applied stress val Table 1. The obtained data shows an increment enthalpy with the increasing strain stress. From that the applied mechanical stress prevents th filaments of the entities with higher degree of ing the samples transition from glassy to rubb crystallization of the examined PET fibres rea crystalline nucleus and leads to an increasing of enthalpy.



Fig. 1. Thermograms of crystallization of PET fibres witl stress (curve 1) and under strain stress of 1.2 MPa (curve 2).

<span id="page-2-0"></span>

(1) No.: sample number; (2)  $\sigma$  (MPa): value of the applied strain stress; (3)  $\Delta H/\Delta H_1$ : change of the crystallization enthalpy.

### *4.2. Kinetics of crystallization*

To clarify the strain stress influence on the samples crystallization kinetic two types of experiments were carried out using the above described calorimeter–dilatometer:

- At different heating rates as follows: 2 K/min; 3.5 K/min; 5 K/min; 6.5 K/min, without applied strain stress.
- At the same heating rates and with applied to the bundle strain stress of 1.2 MPa.

Respectively with the experimental no isothermal conditions, the obtained data from the fibres crystallization kinetics were interpreted using Ozawa's theory [15,16].

According to this theory the degree of the crystallization completeness  $(\alpha)$  at temperature  $(T)$  is defined by the following equation:

$$
-\ln(1-\alpha) = \frac{\chi_c(T)}{\theta^n}
$$
 (3)



**Fig. 2.** Crystallization kinetics of PET fibres without mechanical loading at heating rates as follows: (1) 2 K/min; (2) 3.5 K/min; (3) 5 K/min; (4) 6.5 K/min.



Fig. 3. Crystallization kinetics of PET fibres under strain stress rates as follows: (1) 2 K/min; (2) 3.5 K/min; (3) 5 K/min; (4) 6.

where  $\theta$  is the heating rate;  $\chi_c$  is the crystallizat the number with values from 1 to 4.

The dependence of the samples crystallization ent heating rates, received without stress and und 1.2 MPa are presented in Figs. 2 and 3.

As it can be seen the increasing heating rate le crystallization at higher temperatures. The obtair explained with the relationships between the p development and the heating rate. At higher heati mer glass transition realizes at higher temperati the increase of the crystallization temperature.

The comparison of Figs.  $2$  and  $3$  shows an i and a delayed in the final stage crystallization reason for the observed fact is that the applied during the calorimetrical experiments strain str quasi-crystalline nucleus destruction in the sai the crystallization process starts on the basis of nucleus.

On the other hand, the mechanical stress p transition in the existing areas with frozen stre



**Fig. 4.** Dependence of  $\log[-\ln(1-\alpha)]$  on  $\log \theta$  for PET fibres applied mechanical stress.

$$
0.2 \t 0.3 \t 0.4 \t 0.5 \t 0.6 \t 0.7 \t 0.8 \t 0.9
$$
\n
$$
\log \theta
$$

<span id="page-3-0"></span>**Fig. 5.** Dependence of  $log[-ln(1 - \alpha)]$  on  $log \theta$  for PET fibres crystallized under strain stress of 1.2 MPa.

### **Table 2**

The exponent (*n*) and correlation coefficient (*R*) values, obtained using the Ozawa's equation for crystallization kinetics without mechanical loading and under strain stress



(1) *T* (K): temperature; (2) Exponent (*n*) and correlation coefficient (*R*) values, obtained for crystallization without mechanical loading; (3) exponent (*n*) and correlation coefficient (*R*) values, obtained for crystallization under strain stress of 1.2 MPa.

that leads to embarrassed or fully stopped crystallization in the last stages of the phase transition.

Eq. (3) can be presented as follows:

$$
log[-ln(1-a)] = log \chi_c(T) - n log \theta \qquad (4)
$$

In Figs. 4 and 5 are shown the dependences of the left side of Eq. (4) from  $\log \theta$  for the studied fibres crystallized without applied stress and crystallized under stress, respectively. According to Eq. (4) the lines slope allows to determinate the exponent *n* in Eq. (3) and the obtained data as well as the relevant correlation factors are presented in Table 2. As it can be seen the exponent values for the filaments crystallized without stress are around two (average value  $\langle n \rangle$  = 1.97) while for the samples crystallized under stress are roughly one (average value  $(n)$  = 1.02). Considering of the heteroge-

terephthalate mallelles subjected to sillu and mechanical treatments has been inves constructed thermoconductive calorimeter-di

The influence of the applied to fibres mechanical crystallization thermodynamics and kinetics v

The existence of quasi-crystalline nucleus in filaments is supposed and this assumption was of the obtained experimental data.

The obtained experimental results from the crystallization kinetics show that the Ozawa's in the qualitative description of the amorphou lization.

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